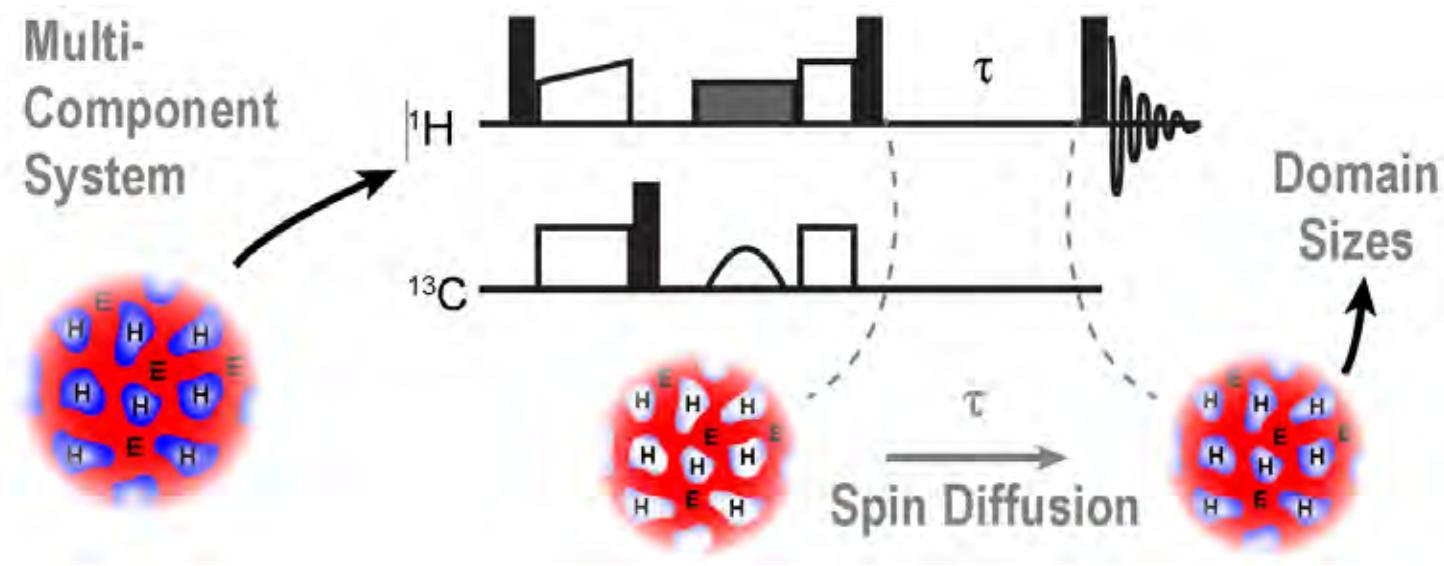


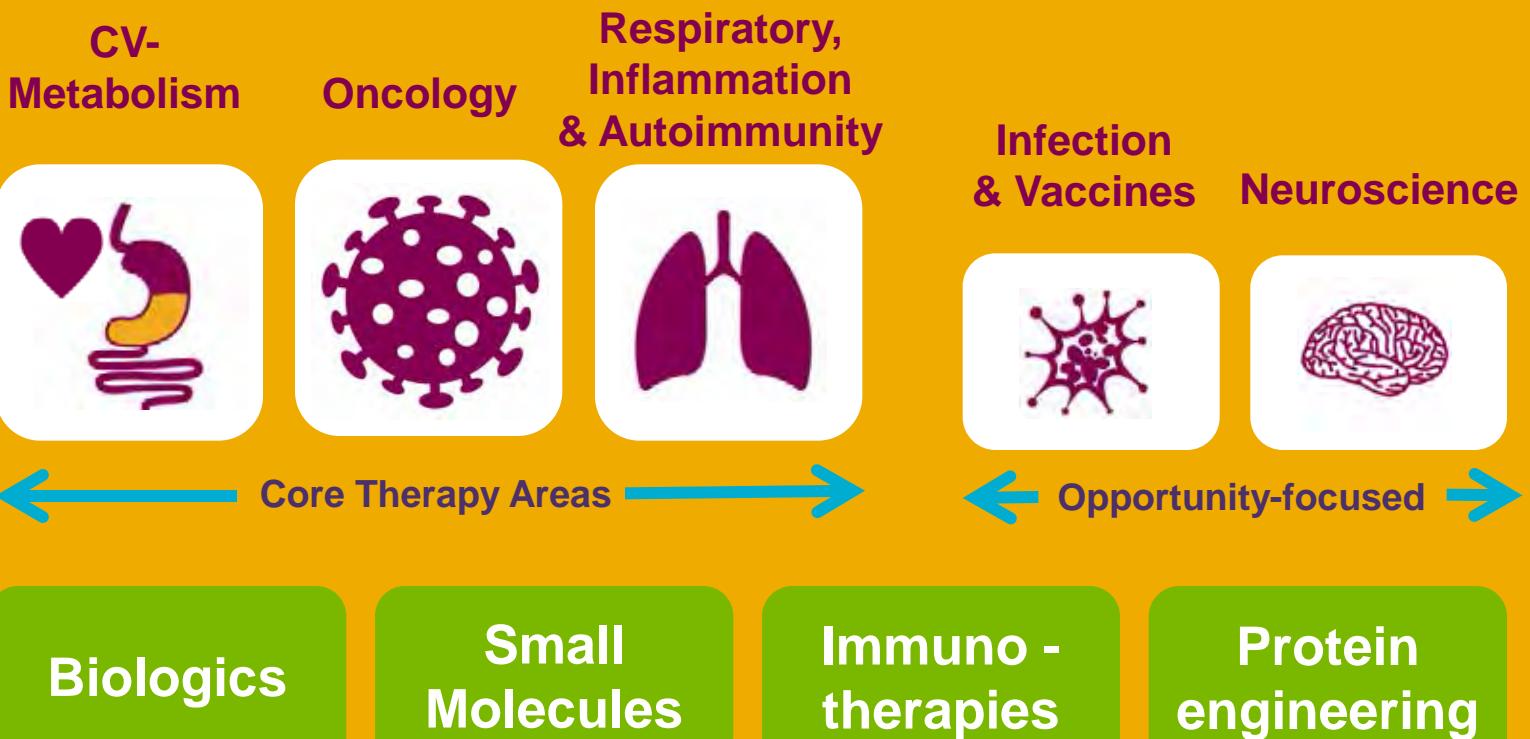
# New solid-state NMR methods in controlled release

Staffan Schantz

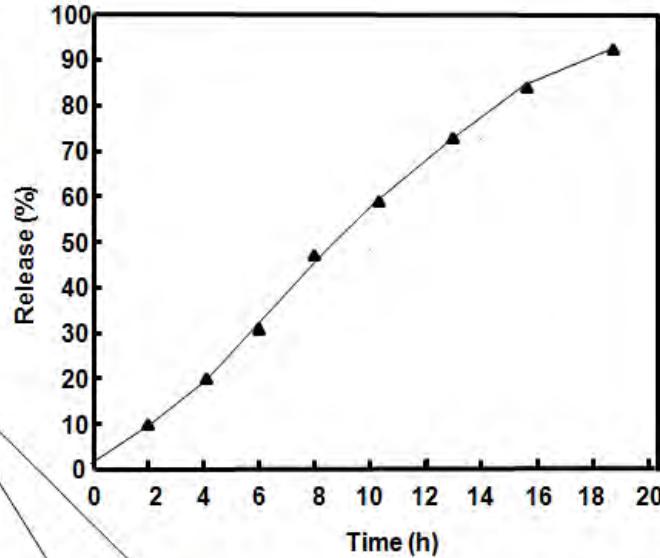
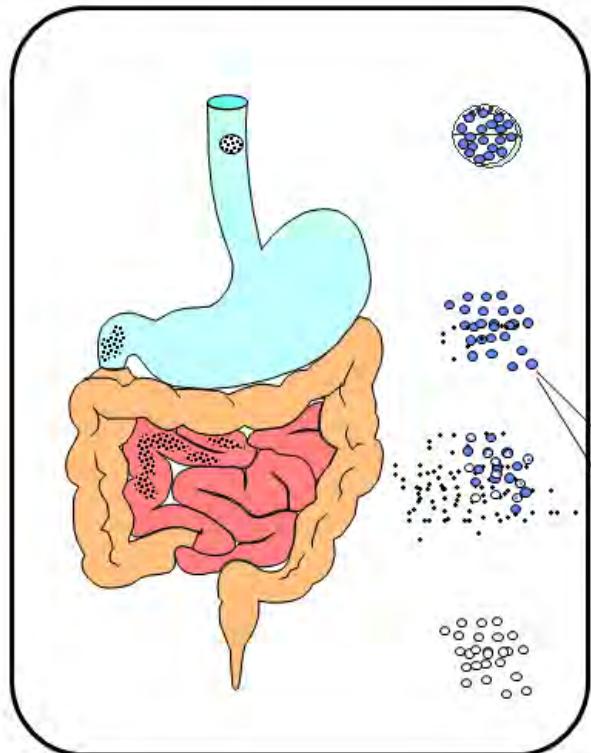




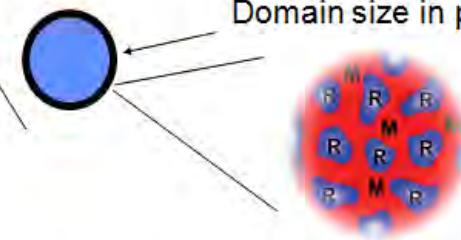
# AstraZeneca R&D

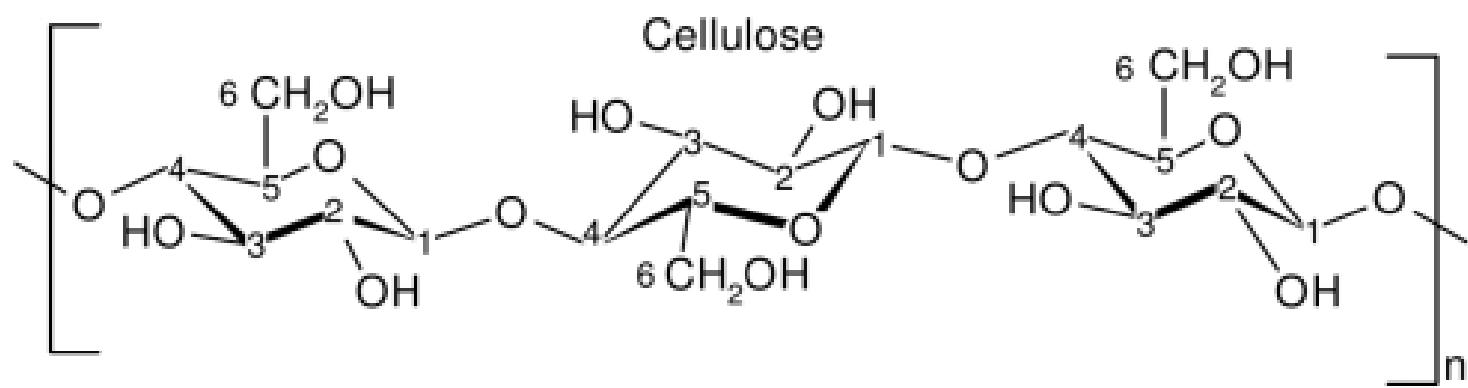


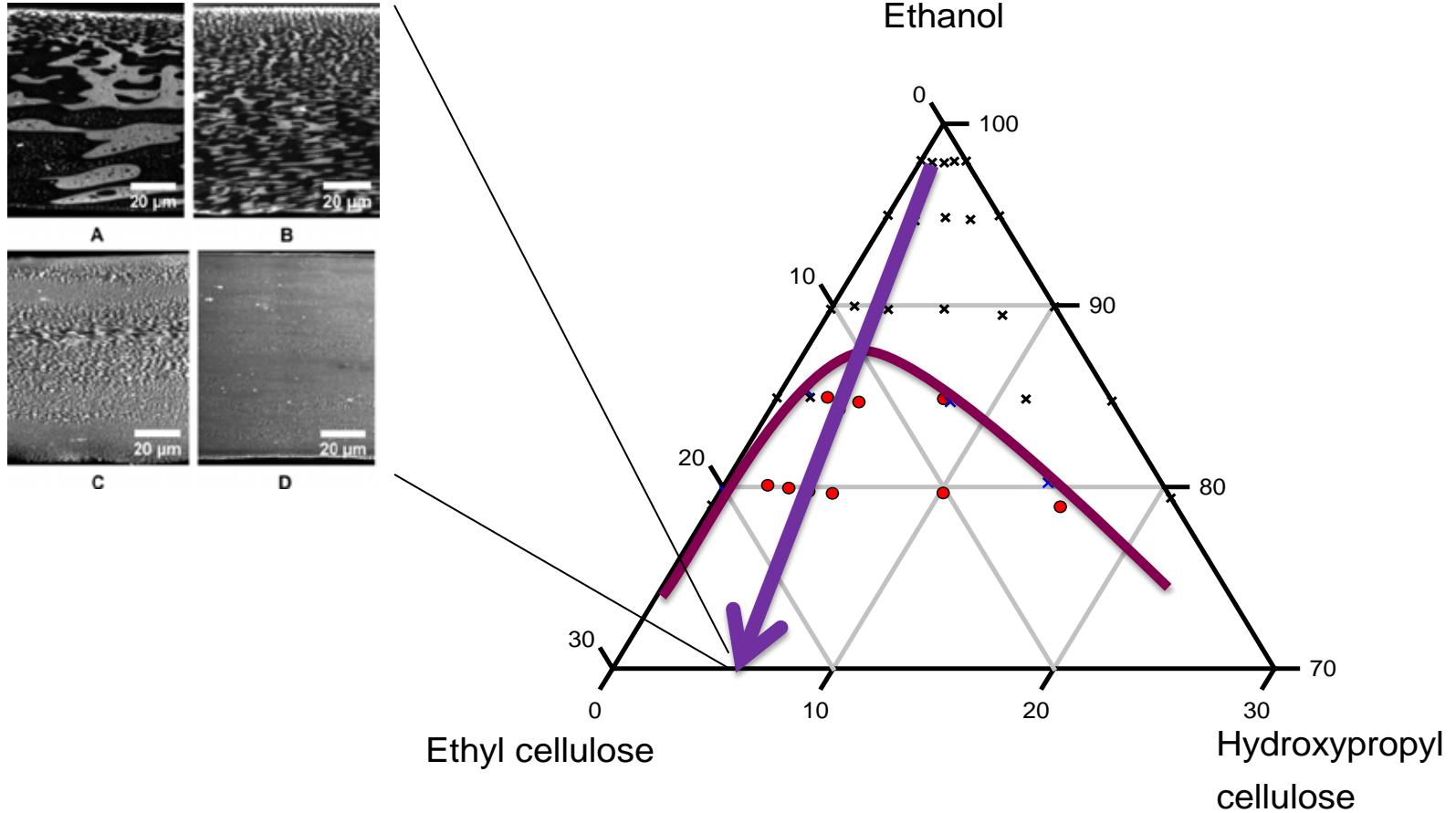
**Can we determine domain sizes using NMR?**



Domain size in polymer coating?





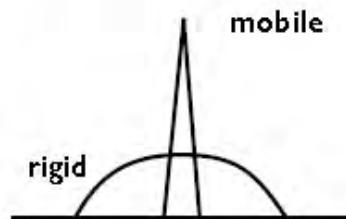






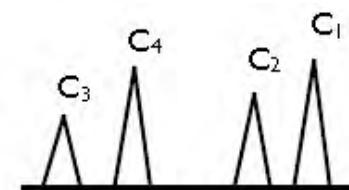
## NMR spectra of polymers:

$^1\text{H}$



information about mobility

$^{13}\text{C}$

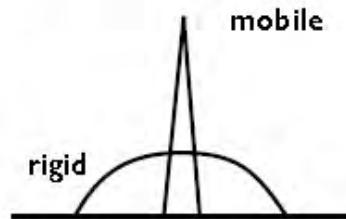


signal for each atom



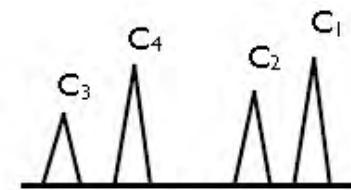
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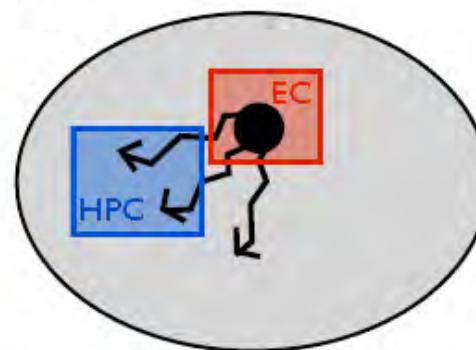
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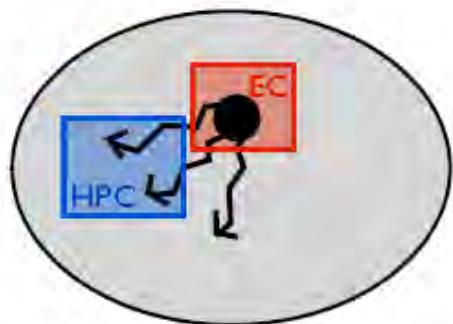
## Spin Transport:



Magnetization transfer driven by through-space interactions

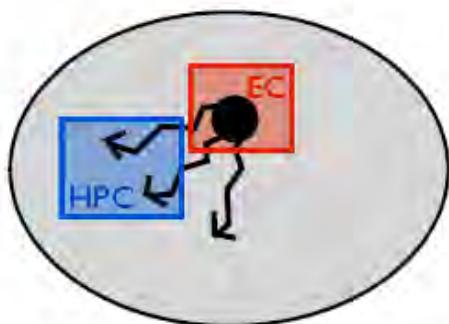
"classical"  
solid state NMR

## Spin Diffusion



"classical"  
solid state NMR

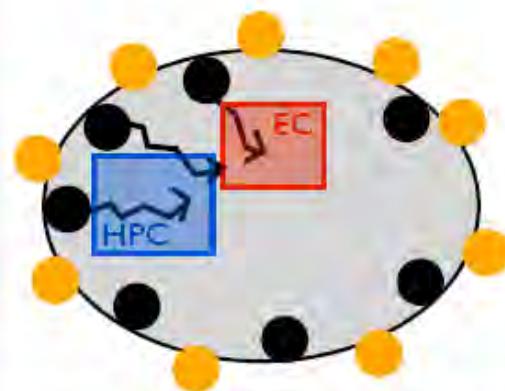
## Spin Diffusion



Dynamic Nuclear  
Polarization

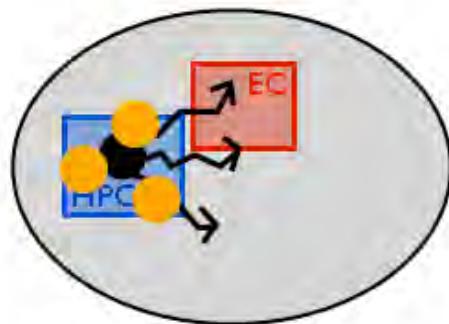
## DNP

+ radicals



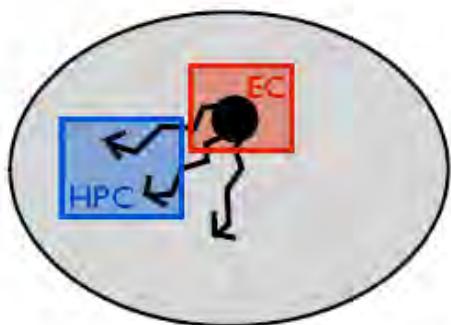
Paramagnetic Relaxation  
Enhancement

## PRE



"classical"  
solid state NMR

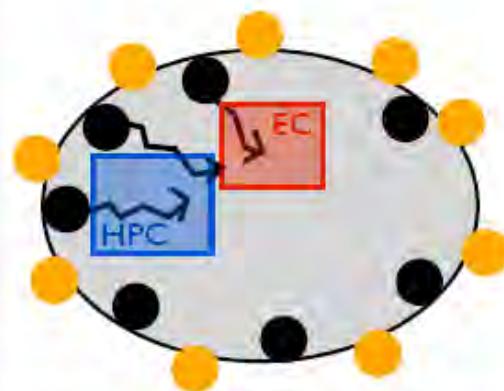
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Dynamic Nuclear  
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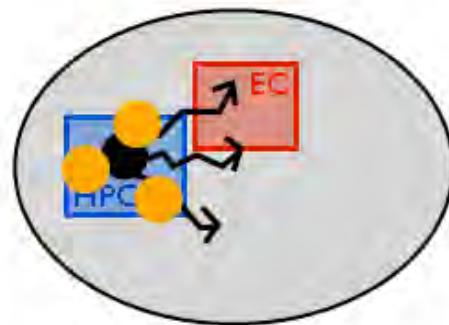
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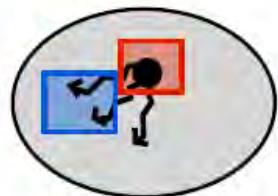
## PRE



$$\frac{\partial P(r,t)}{\partial t} = D \Delta P(r,t) - \frac{P(r,t) - P_0(r)}{T_1(r)}$$

monitor polarization  $P$  (magnetization)  
at a position  $r$ , at a time  $t$ , as a function of  $T_1$

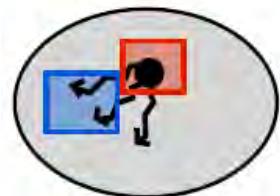
spin lattice relaxation time



$$\frac{\partial P(r,t)}{\partial t} = D \left( \frac{\partial^2 P(r,t)}{\partial r^2} + \frac{2}{r} \frac{\partial P(r,t)}{\partial r} \right)$$
$$D = D_R \quad \text{for } 0 \leq r \leq \frac{1}{2}d_R$$
$$D = D_M \quad \text{for } \frac{1}{2}d_R < r \leq \frac{1}{2}(d_R + d_M)$$

$D_R, D_M \dots$  diffusion coefficient of the corresponding domain  
 $d_R, d_M \dots$  domain size of the corresponding domain

## Simulation of Spin Diffusion Curves:

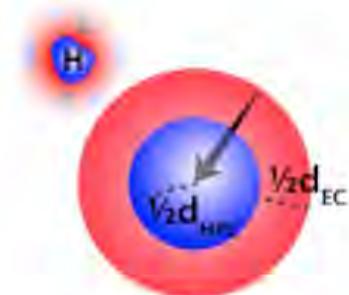


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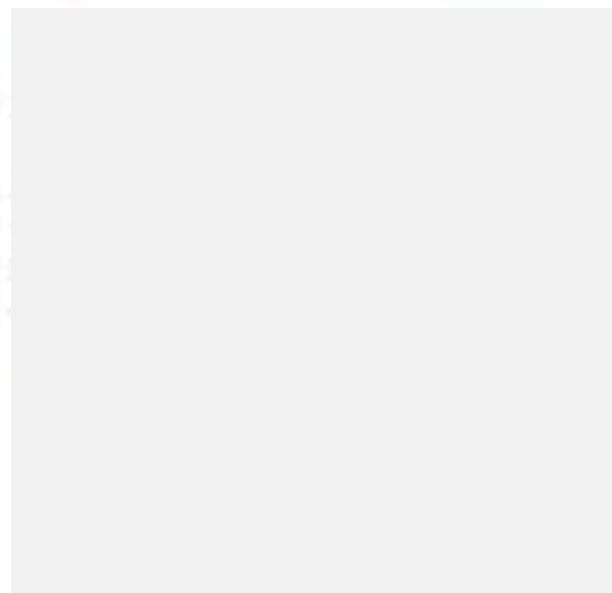
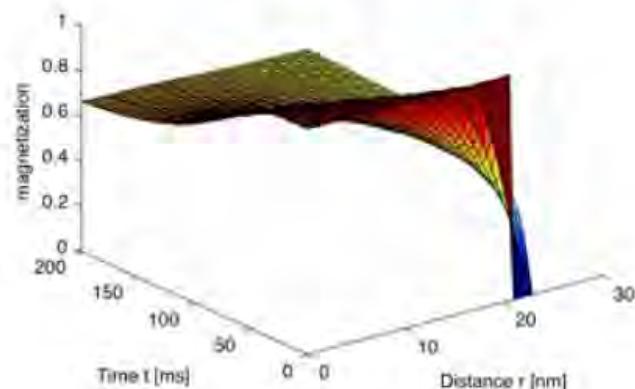
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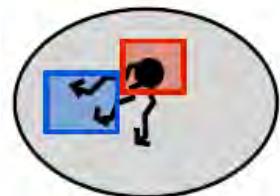
## Simulation of Spin Diffusion Curves:

Spin Diffusion Model:



numerical solutions for differential equation:





$$\frac{\partial P(r,t)}{\partial t} = D \left( \frac{\partial^2 P(r,t)}{\partial r^2} + \frac{2}{r} \frac{\partial P(r,t)}{\partial r} \right)$$

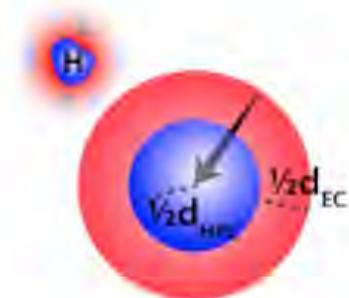
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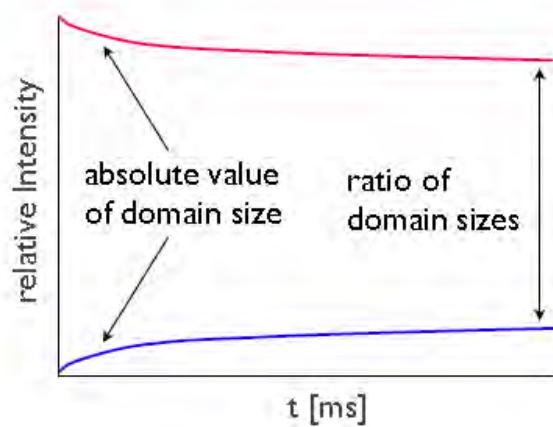
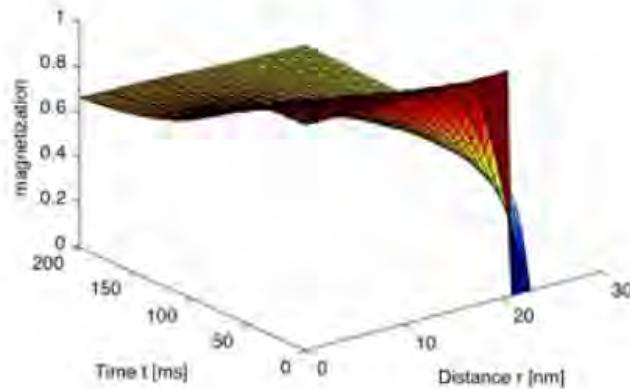
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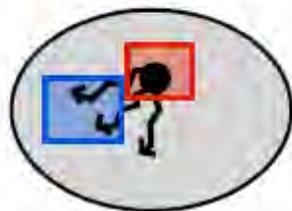
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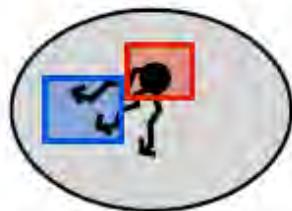


$$\frac{\partial P(r,t)}{\partial t} = D \Delta P(r,t) - \frac{P(r,t) - P_0(r)}{T_1(r)}$$

### The NMR experiment:

- I. select magnetization/signals from only one of the domains





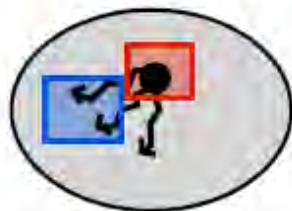
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2. monitor the process of magnetization being transferred to other domains/signals



$$\frac{\partial P(r,t)}{\partial t} = D \Delta P(r,t) - \frac{P(r,t) - P_0(r)}{T_1(r)}$$

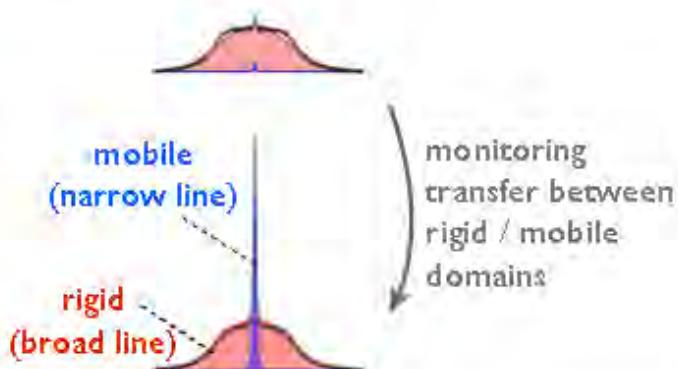
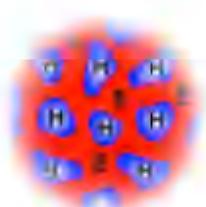
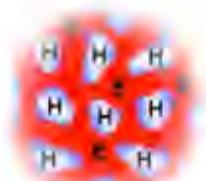
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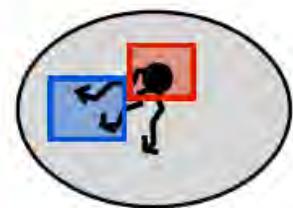
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$^1\text{H}$  NMR spectra:





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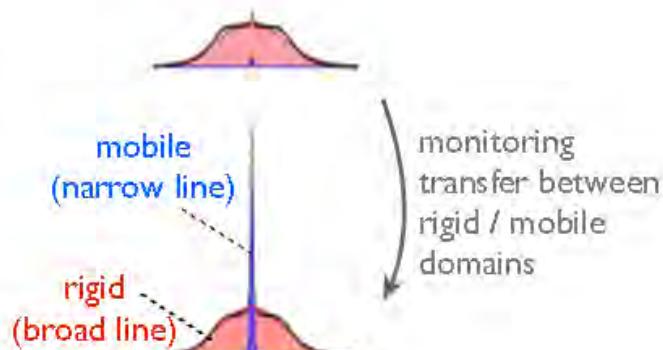
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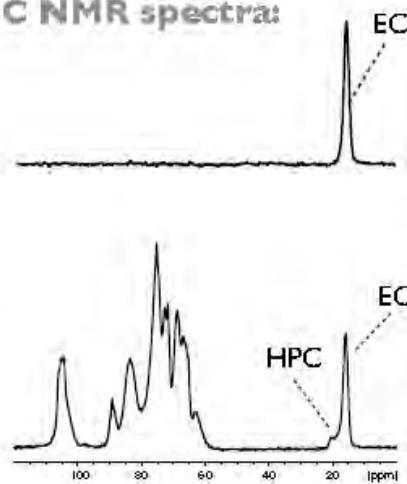


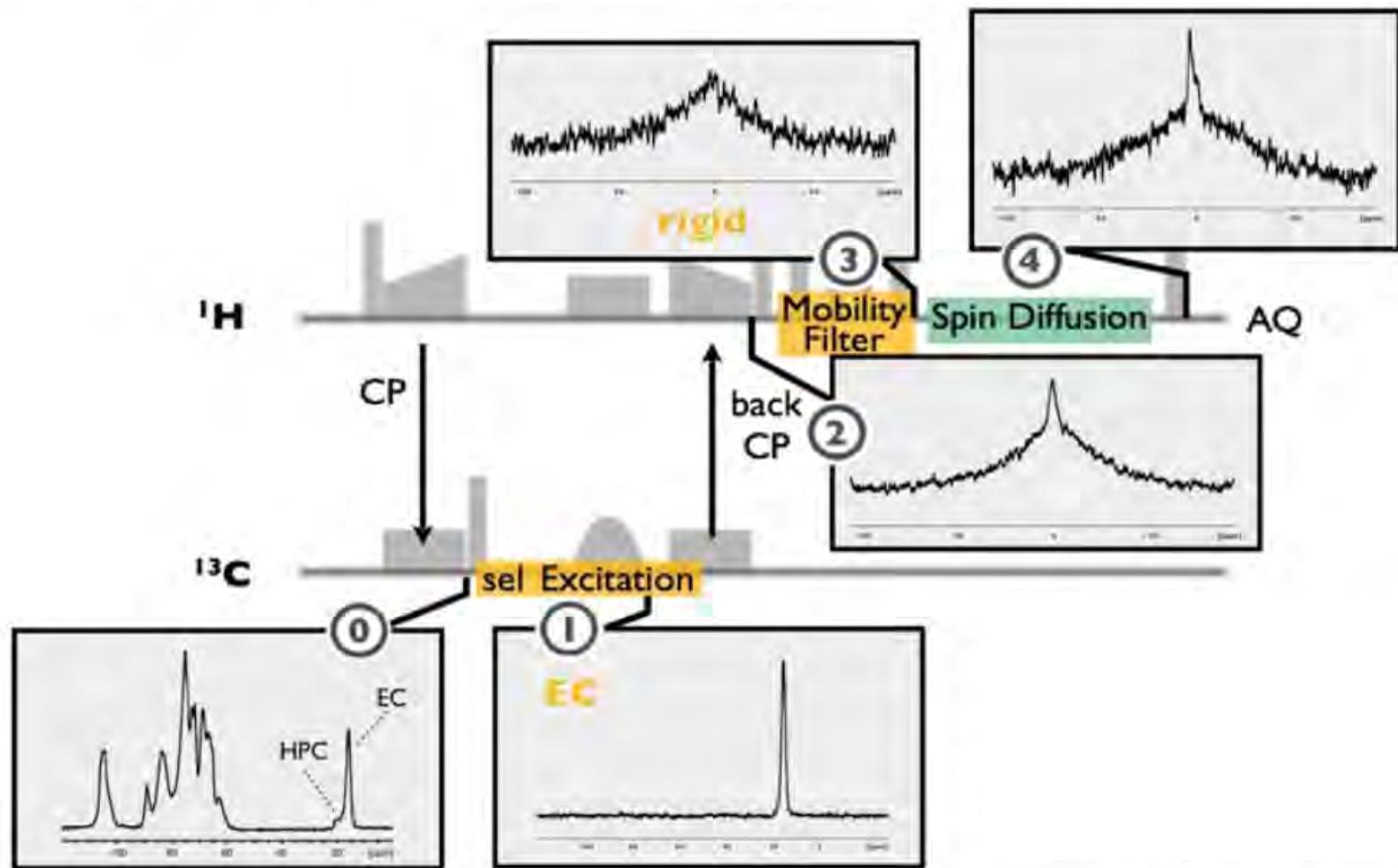
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<sup>1</sup>H NMR spectra:

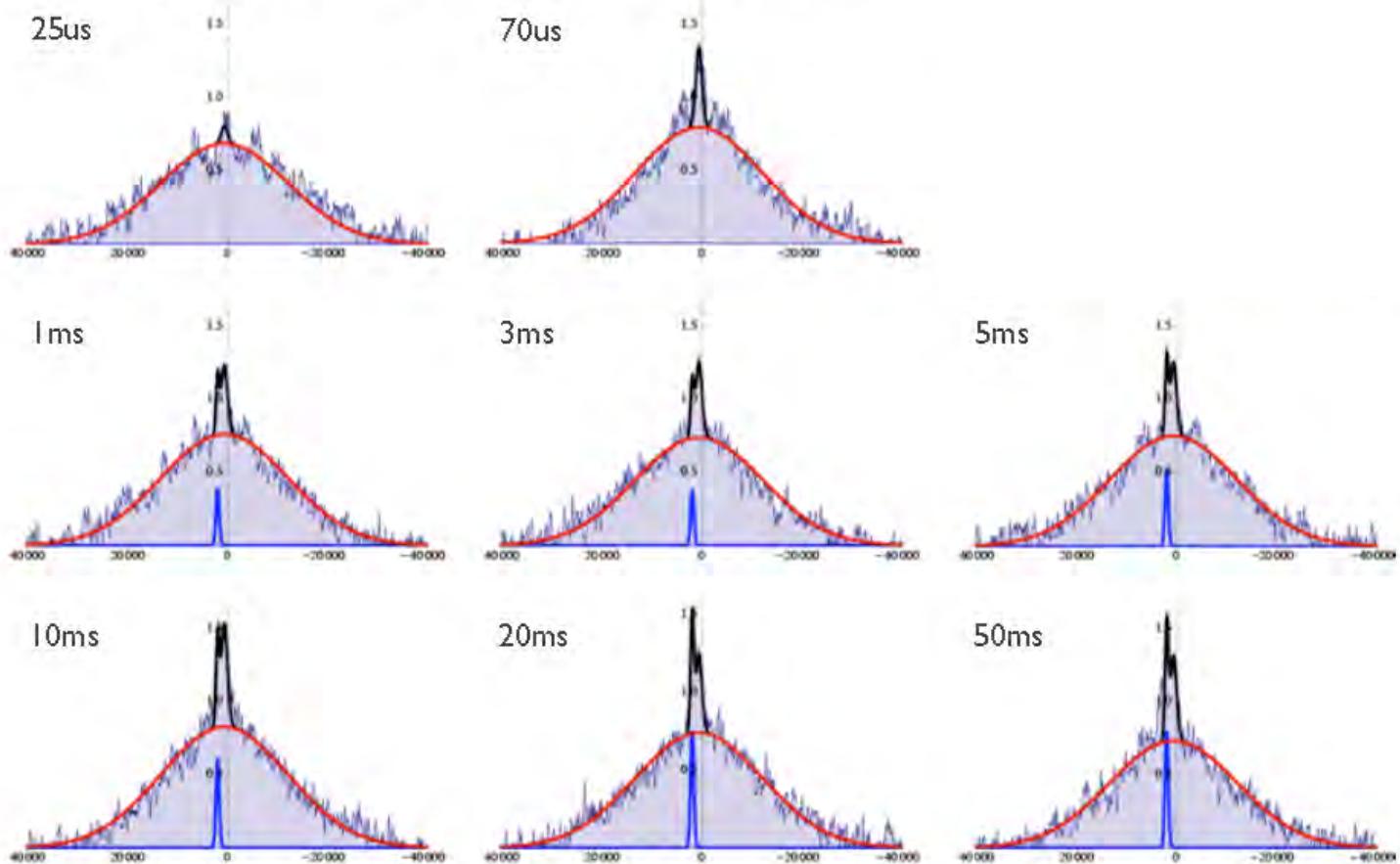


<sup>13</sup>C NMR spectra:

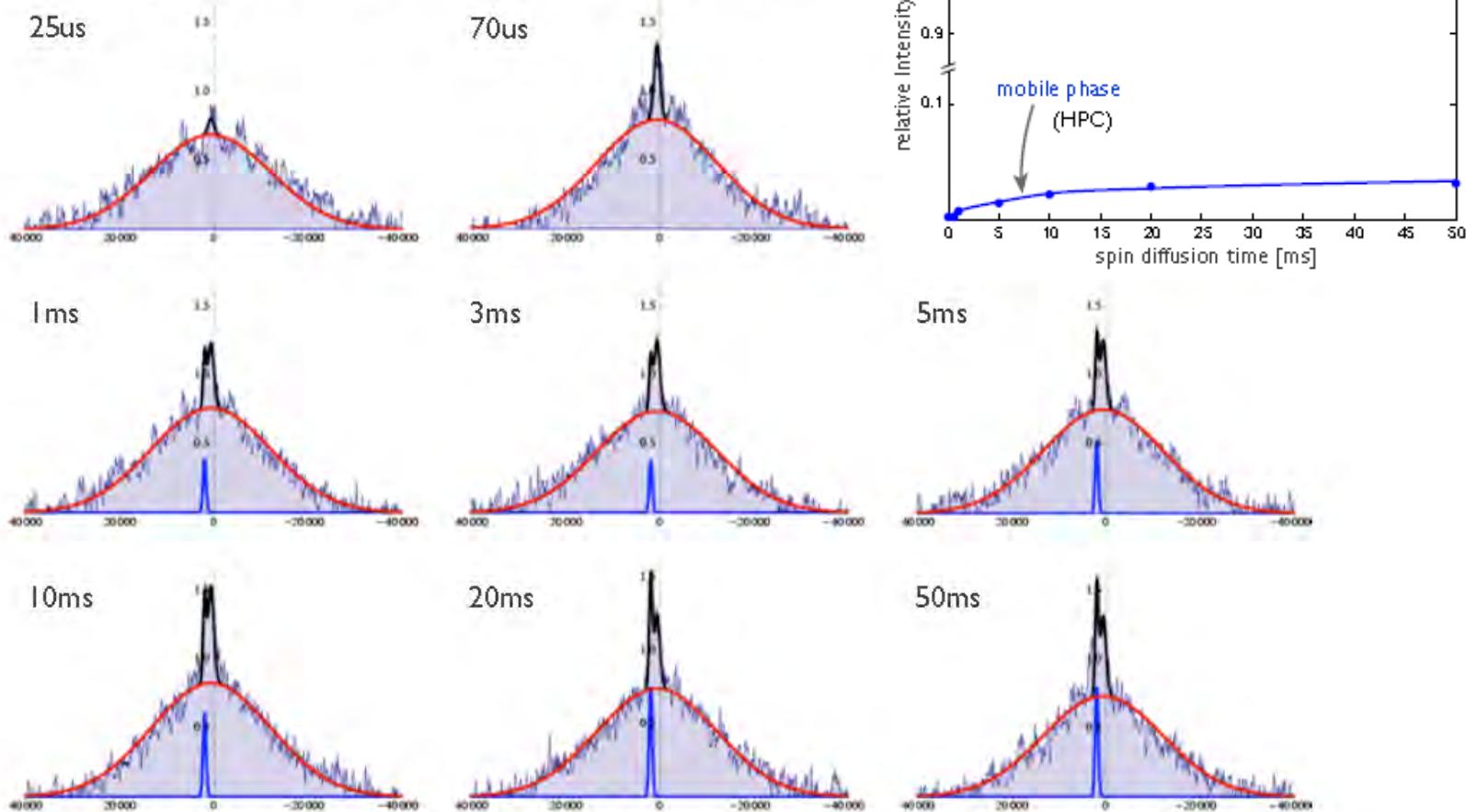


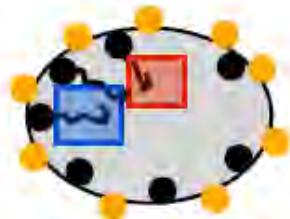


## Obtained signals for different spin diffusion times:



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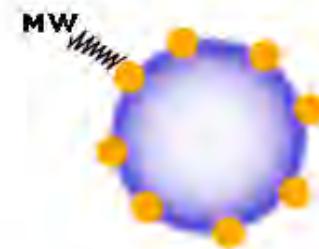


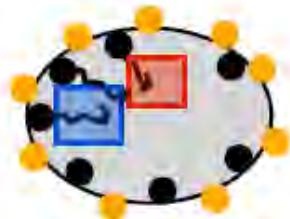
+ radicals

$$\frac{\partial P(r,t)}{\partial t} = D \Delta P(r,t) - \frac{P(r,t) - P_0(r)}{T_1(r)}$$

## The DNP NMR experiment - particle size measurement:

- I. Radicals on surface (+MW) allow us to enhance the polarization on the surface of the sample (and influence the  $T_1$ )



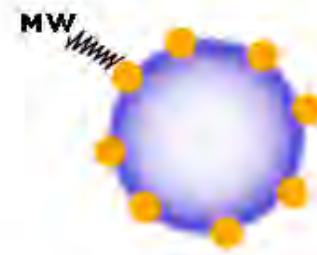


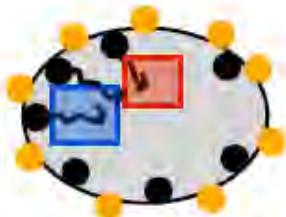
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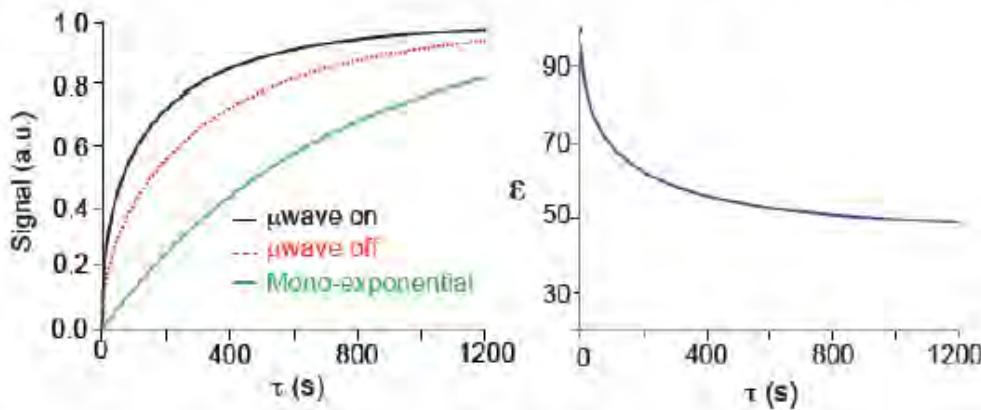


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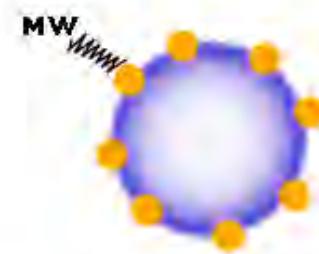
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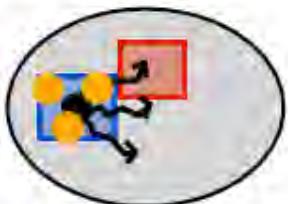


NMR experiment carried out with the microwave turned on (DNP, increased polarization on the surface) and with the microwave turned off (no DNP effect)

ratio between intensities of signals on / off at a certain time  $\tau$  = Enhancement  $\mathcal{E}$



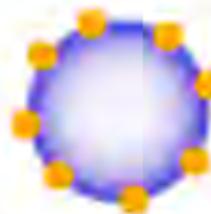
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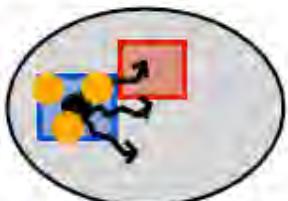
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## The PRE NMR experiment:

- I. manipulate T1 relaxation in proximity to radicals



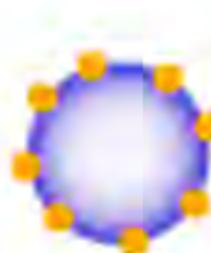
+ radicals



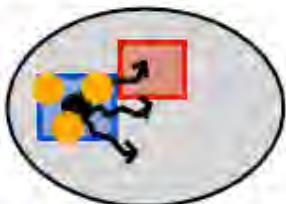
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2. acquiring build-up curves to monitor spin diffusion equilibrating introduced imbalance



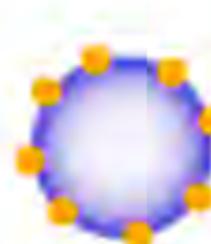
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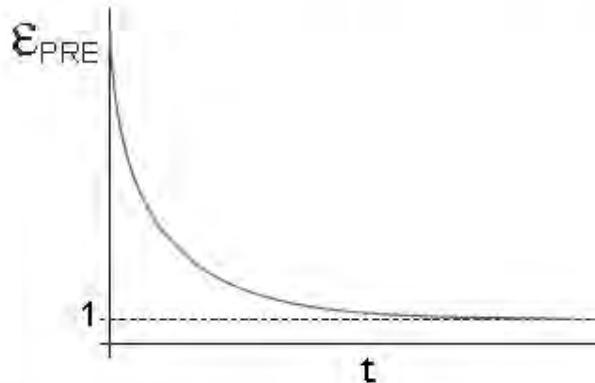
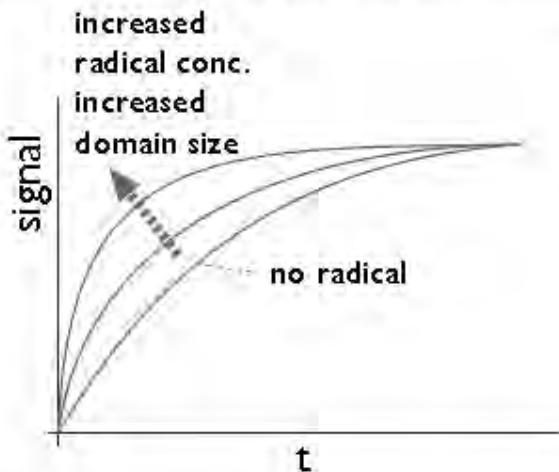
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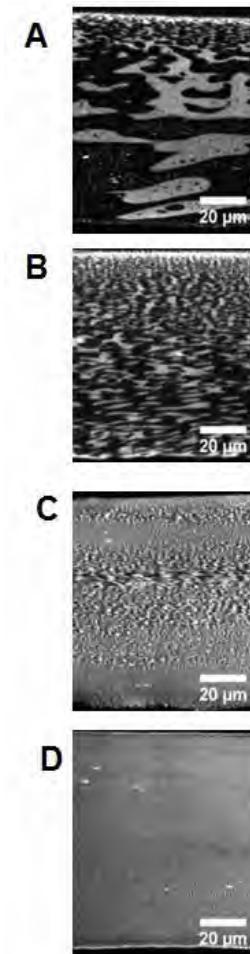
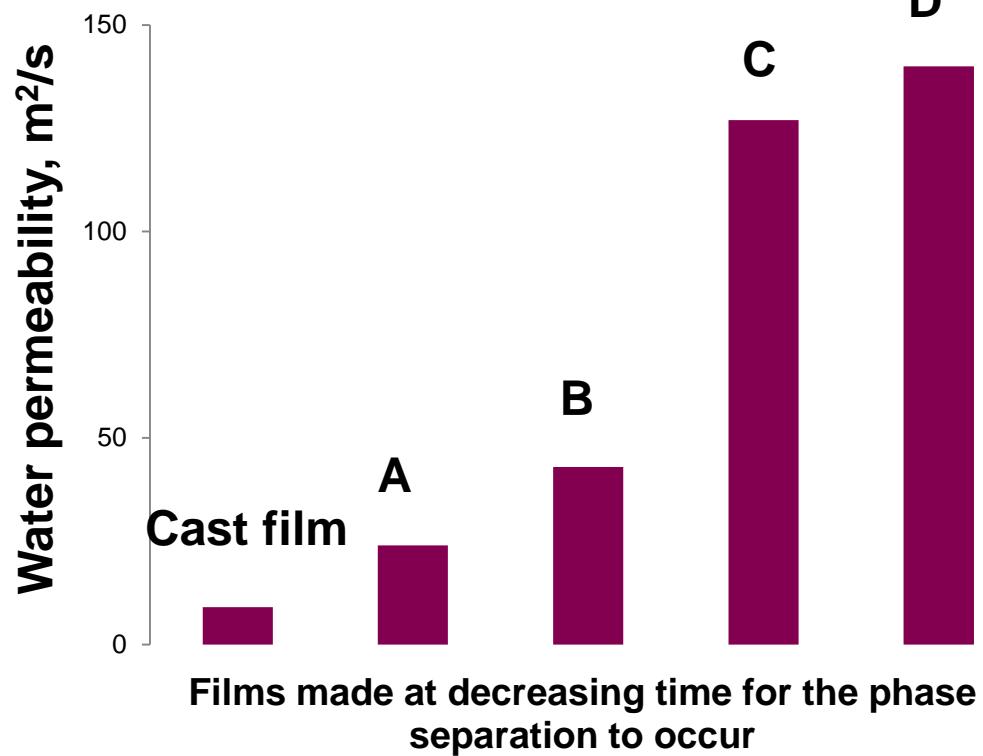


The results are in good agreement with SANS (Marucci et al. 2015).

	CLASSICAL		DNP Method		PRE Method	
	EC/HPC free film	EC/HPC coated p.	EC/HPC free film	EC/HPC coated p.	EC/HPC free film	EC/HPC coated p.
$d_{EC}$	226 nm	188 nm	200 nm	140 nm	280 nm	120 nm
$d_{HPC}$	456 nm	380 nm	405 nm	280 nm	570 nm	246 nm

	<b>EC/HPC free film (slow drying)</b>	<b>EC/HPC free film (intermediate drying)</b>	<b>EC/HPC free film (fast drying)</b>	<b>EC/HPC/MCC coated pellets</b>	<b>EC/HPC/API coated pellets</b>
<b>Domain size HPC<sup>c</sup> [nm]</b>	294	216	154	156	134
<b>Domain size EC<sup>c</sup> [nm]</b>	145	107	76	86	66

Faster film formation kinetics give smaller domains with higher connectivity (Marucci 2013).



# Thanks to...

Centre de RMN à Très Hauts Champs à Lyon



Large Scale Facility, User Access: [www.ralf-nmr.fr](http://www.ralf-nmr.fr)



AstraZeneca R&D Mölndal, Sweden



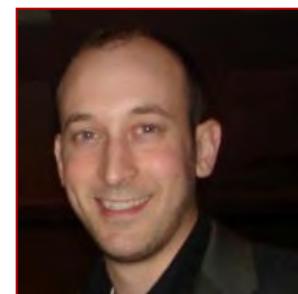
Dr Judith Schlagnitweit Dr Mingxue Tang



Dr Maria Baias



Dr Aaron Rossini



Dr Sara Richardson



Prof Lyndon Emsley

